Surname	Centre Number	Candidate Number
Other Names		2



**GCE AS/A level** 

1321/01

# PHYSICS PH1: Motion Energy and Charge

A.M. THURSDAY, 17 May 2012

1½ hours

For Examiner's use only							
Question	Maximum Mark	Mark Awarded					
1.	14						
2.	7						
3.	9						
4.	12						
5.	11						
6.	10						
7.	17						
Total	80						

## ADDITIONAL MATERIALS

In addition to this paper, you will require a calculator and a **Data Booklet**.

## INSTRUCTIONS TO CANDIDATES

Use black ink or black ball-point pen.

Write your name, centre number and candidate number in the spaces at the top of this page.

Answer all questions.

Write your answers in the spaces provided in this booklet.

## **INFORMATION FOR CANDIDATES**

The total number of marks available for this paper is 80.

The number of marks is given in brackets at the end of each question or part-question.

You are reminded of the necessity for good English and orderly presentation in your answers.

You are reminded to show all working. Credit is given for correct working even when the final answer is incorrect.

9.0 V

1.

2 Examiner only State Ohm's law. (a)(i) [2] ..... The unit of resistance is the ohm  $(\Omega)$ . One of the following is a correct alternative (ii) unit to the ohm. Circle the correct one. [1]  $V A^{-1}$  $AV^{-1}$   $JC^{-1}$   $Js^{-1}$ *(b)* A

X

In the above circuit, buzzers P, Q and S are controlled using switches X and Y. The buzzers are identical and their resistances remain constant.

Y

S

Р

0

(i) The table shows the possible combinations of open and closed switches. When a switch is closed, charge can flow through it. Complete the table. The first row has been done for you. [3]

Switch combination	Р	Q	S
X open, Y open	On	On	Off
X closed, Y open			
X open, Y closed			
X closed, Y closed			

	3	Exa
(ii)	With X open and Y open, the ammeter reads 0.18 A. Calculate the resistance each of the buzzers.	of 3]
iii)	Determine the reading on the ammeter when all three buzzers are on.	 2]
(iv)	When all three buzzers are on, show that power used by $S = 4 \times$ power used by $Q$ [	 3]

4 Examiner 2. (a)What is a *superconductor*? [1] A metal conductor is placed in liquid helium. It is noted that at a certain temperature, (b)as the metal cools, its resistance changes suddenly, dropping rapidly to zero. What name is given to the temperature at which this sudden change occurs? (i) [1] Sketch a graph of resistance against temperature for the above conductor, labelling (ii) any key features of your graph. [2] What potential difference would be needed to maintain a current in the conductor (iii) when it has been immersed in the liquid helium for some time? [1] Conducting electrons in a superconductor do not cause a heating effect. Explain why (c)conducting electrons **do** produce a heating effect in wires at room temperature. [2]

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Examiner A car battery has an emf of 12.0 V. When the car is started the battery supplies a current of 3. 120 A to the starter motor. The potential difference between the battery terminals [terminal pd] drops at this time to 8.4 V due to the internal resistance of the battery. Explain, in terms of energy, (a)what is meant by 'an emf of 12.0 V', (i) [2] why the terminal pd drops when the battery supplies a current. (ii) [1] (b)Calculate the internal resistance of the battery. [2] The manufacturer warns against accidentally short-circuiting the battery. Calculate the (c)current that would flow if the battery terminals were short-circuited with a spanner of negligible resistance. [1] The battery will become 'flat' (i.e run out of energy) if it is continually run for a long (d)period of time. It can then be fully recharged by a current of 3.0 A supplied for 16 hours. Calculate how much charge flows through the battery in this time. (i) [2] Estimate how long the starter motor could be operated on a fully-charged (ii) battery. [1] Turn over.

(1321-01)

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By referring to the diagrams, discuss some of the energy changes involved in a bungee 4. *(a)* jump. You should make reference to gravitational potential energy, kinetic energy and elastic potential energy in your answer. [5]

A	B	C	D
At the start	Free fall, cord slack	Cord stretching	At the lowest point

••••••			
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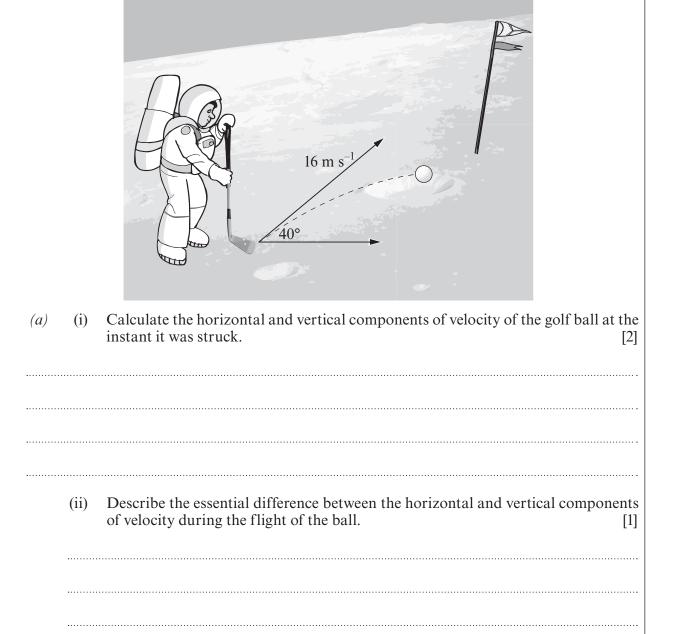
length 80 m. When he reaches the lowest point for the first time the length of the cord is 130 m. Calculate         (i) the loss of gravitational potential energy from his position on the bridge to the lowest point for the first time,         [2]	A bı	7 ungee jumper of mass 70 kg jumps from a high bridge using a bungee cord of natural
<ul> <li>lowest point for the first time, [2]</li> <li>(ii) the stiffness constant (k) of the bungee cord assuming the cord obeys Hooke's law and that there are no losses due to air resistance, [3]</li> <li>(iii) the extension of the cord when he finally comes to rest (after having 'bounced' a</li> </ul>		
<ul> <li>and that there are no losses due to air resistance, [3]</li> <li>(iii) the extension of the cord when he finally comes to rest (after having 'bounced' a</li> </ul>	(i)	
	 (ii)	
	······	
	(iii)	

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5. The astronauts of Apollo 14 played golf on the Moon. They struck a number of shots such as the one shown below.

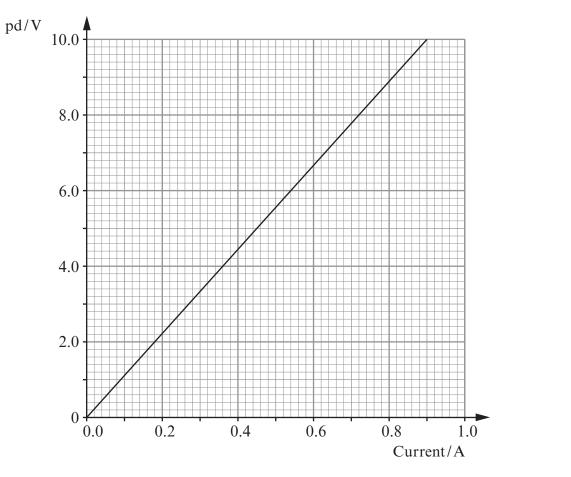


The noriz	acceleration due to gravity on the Moon is 1.6 m s <sup>-2</sup> . Assuming the shot is played on zontal ground, calculate
(i)	the total time of flight, [3]
(ii)	the horizontal distance the ball travels, [1]
ii)	the maximum height reached. [2]
	milar golf shot is played on Earth. Give two reasons why your answer to $(b)$ (iii) ld be different. [2]
1.	
2.	

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- 6. Experiments are carried out to determine the material from which a metal wire is made. Initially the resistivity of the metal is found. The wire's density is then determined and the results compared with known values of resistivity and density.
  - (a) As a first step to finding the resistivity, an experiment investigates the relationship between pd and current for the wire. The results are shown in the graph.



(i) Draw a circuit diagram to show how the above results could be obtained. The apparatus available includes a battery, a switch, a variable resistor, an ammeter and a voltmeter. [2]

(ii) The wire has length 3.2m and **diameter** 0.20mm. Use this information and the graph to calculate the resistivity of the material in the wire. [4]

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- graph to calculate the resistivity of the material in the wire. [4]
- (iii) Using the information in the table, write down **two** possible materials for the wire. [1]

Material	Resistivity / $\Omega$ m	Density/kg m <sup>-3</sup>
Iron	$0.97 \times 10^{-7}$	7 850
Platinum	$1.06 \times 10^{-7}$	21 400
Tin	$1.12 \times 10^{-7}$	7 300
Nichrome	$1.10 \times 10^{-6}$	8400

(b) The mass of the wire is found to be 0.74 grammes. Explaining how you obtain your answer, determine the material from which the wire is made. [3]



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[4]

13

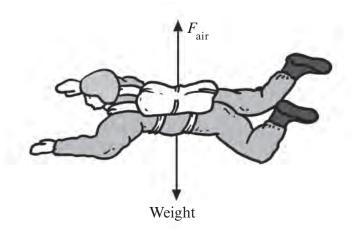
7. The force due to air resistance  $F_{air}$  exerted on a skydiver due to her motion through the air is given by

$$F_{\rm air} = \frac{\rho D v^2}{2}$$

where  $\rho$  is the density of air, v is the speed of the skydiver and D is a constant called the drag factor.

(a) Show that the SI unit of D is metre<sup>2</sup>.

(b) The diagram shows two of the main forces acting on the skydiver during her descent.



- (i) Newton's third law concerns pairs of forces. State the law. [1]
- (ii) Give one reason why the forces in the diagram are not a pair of Newton 3<sup>rd</sup> law forces. [1]

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(c) The table gives data for the first 16.0 seconds of the jump.

Т	Time / s	0.0	2.0	4.0	6.0	8.0	10.0	12.0	14.0	16.0
Accele	ration / m s <sup><math>-2</math></sup>	9.8	8.8	6.6	4.3	2.5	1.4	0.8	0.4	0.2
	(i) The n	nass of tl	he skydi	ver is 601	kg. Calc	ulate her	weight.			[]
	(ii) Using due to	g your ar o air resi	nswer to stance a	<i>(c)</i> (i) an cting on	id the in the skyd	formatic iver at <i>t</i>	on in the = 10.0 s.	table, ca	alculate 1	the forc
( <i>d</i> )	(i) Draw	a graph	of accel	leration (	y-axis) a	ıgainst ti	me ( <i>x</i> -ax	is) for th	e skydive	er. [3
(d)	(i) Draw	a graph	of accel	leration (	y-axis) a	ıgainst ti	me ( <i>x</i> -ax	is) for th	e skydive	er. [3
( <i>d</i> )	(i) Draw	a graph	of accel	leration (	y-axis) a	ıgainst ti	me (x-ax	is) for th	e skydive	er. [3
(d)	(i) Draw	a graph	of accel	leration (	y-axis) a	igainst ti	me (x-ax	is) for th	e skydive	er. [2
(d)	(i) Draw	a graph	of accel	leration (	y-axis) a	ıgainst ti	me (x-ax	is) for th	e skydive	er. [3
(d)	(i) Draw	a graph	of accel	leration (	y-axis) a	igainst ti	me (x-ax	is) for th	e skydivo	er. [3
(d)	(i) Draw	a graph	of accel		y-axis) a	igainst ti	me (x-ax	is) for th	e skydive	er. [3
(d)	(i) Draw	a graph	of accel	leration (	y-axis) a	ıgainst ti	me (x-ax	is) for th	e skydive	er. [3
(d)	(i) Draw	a graph	of accel	leration (	y-axis) a	igainst ti	me (x-ax	is) for th	e skydive	er. [3
	(i) Draw	a graph	of accel		y-axis) a	igainst ti	me (x-ax	is) for th	e skydive	er. [2
	(i) Draw	a graph	of accel		y-axis) a	igainst ti	me (x-ax	is) for th	e skydive	er. [:
	(i) Draw	a graph	of accel		y-axis) a	igainst ti	me (x-ax	is) for th	e skydive	er. [3
	(i) Draw	a graph	of accel		y-axis) a		me (x-ax	is) for th	e skydive	er. [3
	(i) Draw	a graph	of accel		y-axis) a		me (x-ax	is) for th	e skydive	er. [3
	(i) Draw	a graph	of accel		y-axis) a		me (x-ax	is) for th	e skydivo	er. [3
	(i) Draw	a graph	of accel		y-axis) a		me (x-ax	is) for th	e skydive	er. [:
	(i) Draw	a graph	of accel		y-axis) a		me ( <i>x</i> -ax	is) for th	e skydive	er. [3
	(i) Draw	a graph	of accel		y-axis) a		me (x-ax	is) for th	e skydive	er. [3
	(i) Draw	a graph	of accel		y-axis) a		me (x-ax	is) for th	e skydive	er. [.

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(ii)	Use your graph to estimate the velocity of the skydiver at $t = 10.0$ s. [2]	
•••••		
(iii)	Using your answers to $(c)(ii)$ , $(d)(ii)$ and the equation given at the start of the question, calculate a value for the drag factor, D. Assume $\rho = 1.2 \text{ kg m}^{-3}$ [2]	
••••••		
••••••		
••••••		

# THERE ARE NO MORE QUESTIONS IN THE EXAMINATION.



GCE PHYSICS TAG FFISEG Advanced Level / Safon Uwch

# **Data Booklet**

A clean copy of this booklet should be issued to candidates for their use during each GCE Physics examination.

Centres are asked to issue this booklet to candidates at the start of the GCE Physics course to enable them to become familiar with its contents and layout.

### Values and Conversions

Avogadro constant	$N_A$	=	$6.02 \times 10^{23} \text{ mol}^{-1}$
Fundamental electronic charge	е	=	$1.60 \times 10^{-19} \mathrm{C}$
Mass of an electron	$m_e$	=	$9.11 \times 10^{-31} \mathrm{kg}$
Molar gas constant	R	=	$8.31 \text{ J mol}^{-1} \text{ K}^{-1}$
Acceleration due to gravity at sea level	g	=	$9.81 \text{ m s}^{-2}$
Gravitational field strength at sea level	g	=	$9.81 \text{ N kg}^{-1}$
Universal constant of gravitation	G	=	$6.67 \times 10^{-11} \text{ N m}^2 \text{ kg}^{-2}$
Planck constant	h	=	$6.63 \times 10^{-34} \text{ J s}$
Boltzmann constant	k	=	$1.38 \times 10^{-23} \mathrm{J}\mathrm{K}^{-1}$
Speed of light in vacuo	С	=	$3.00 \times 10^8 \text{ m s}^{-1}$
Permittivity of free space	<b>E</b> 0	=	$8.85 \times 10^{-12} \text{ F m}^{-1}$
Permeability of free space	$\mu_0$	=	$4\pi \times 10^{-7} \mathrm{H} \mathrm{m}^{-1}$
Stefan constant	σ	=	$5.67 \times 10^{-8} \mathrm{W} \mathrm{m}^{-2} \mathrm{K}^{-4}$
Wien constant	W	=	$2.90 \times 10^{-3} \text{ m K}$

 $T/K = \theta/^{\circ}C + 273.15$ 

 $1 \text{ u} = 1.66 \times 10^{-27} \text{ kg}$ 

AS

$$\begin{split} \rho &= \frac{m}{V} & P = \frac{W}{t} = \frac{\Delta E}{t} & c = f\lambda \\ v &= u + at & I = \frac{\Delta Q}{\Delta t} & T = \frac{1}{f} \\ x &= \frac{1}{2}(u + v)t & I = nAve & \lambda = \frac{ay}{D} \\ x &= ut + \frac{1}{2}at^2 & R = \frac{\rho I}{A} & d\sin\theta = n\lambda \\ v^2 &= u^2 + 2ax & R = \frac{\rho I}{A} & d\sin\theta = n\lambda \\ \Sigma F &= ma & R = \frac{V}{I} & n_1 \sin\theta_1 = n_2 \sin\theta_2 \\ \Delta E &= mg\Delta h & P = IV & E_{kmax} = hf - \phi \\ E &= \frac{1}{2}kx^2 & V &= E - Ir & P = A\sigma T^4 \\ Fx &= \frac{1}{2}mv^2 - \frac{1}{2}mu^2 & V_{total} \left( \operatorname{or} \frac{V_{OUT}}{V_{IN}} \right) = \frac{R}{R_{total}} \end{split}$$

efficiency =  $\frac{\text{useful energy transfer}}{\text{total energy input}} \times 100\%$ 

# **Particle Physics**

	Leptons		Quarks	
particle (symbol)	electron (e <sup>-</sup> )	electron neutrino (v <sub>e</sub> )	up (u)	down (d)
charge (e)	- 1	0	$+\frac{2}{3}$	$-\frac{1}{3}$
lepton number	1	1	0	0

### A2

θ	$M/ka = M_r$	$F = BII \sin \theta$ and $F = Bqv \sin \theta$
$\omega = \frac{\theta}{t}$	$M/\mathrm{kg} = \frac{M_r}{1000}$	$B = \frac{\mu_o I}{1}$
$v = \omega r$	pV = nRT	$D = \frac{1}{2\pi a}$
$a = \omega^2 r$	$p = \frac{1}{3}\rho \overline{c^2}$	$B = \mu_o nI$
$a = -\omega^2 x$	$U = \frac{3}{2} nRT$	$\Phi = AB\cos\theta$
$x = A\sin(\omega t + \varepsilon)$	$k = \frac{R}{N_{A}}$	$V_{\rm r.m.s.} = \frac{V_0}{\sqrt{2}}$
$v = A\omega\cos\left(\omega t + \varepsilon\right)$	A	V 2
$T = 2\pi \sqrt{\frac{m}{k}}$	$W = p\Delta V$	$A = \lambda N$ N
* 555	$\Delta U = Q - W$	$N = N_o e^{-\lambda t}$ or $N = \frac{N_o}{2^x}$
p = mv	$C = \frac{Q}{V}$	
$Q = mc\Delta\theta$	K .	$A = A_o e^{-\lambda t}$ or $A = \frac{A_o}{2^x}$
$p = \frac{h}{2}$	$C = \frac{\varepsilon_o A}{d}$	$\log_e 2$
A	C.	$\lambda = \frac{\log_e 2}{T_{V_e}}$
$\frac{\Delta\lambda}{\lambda} = \frac{v}{c}$	$U = \frac{1}{2}QV$ $Q = Q_0 e^{-Y_{RC}}$	$E = mc^2$
n c	$Q = Q_0 e^{-\gamma_{\rm RC}}$	

Fields

$F = \frac{1}{Q_1Q_2}$	$E = \frac{1}{Q}$	$V_{\nu} = -\frac{1}{Q}$	$W = q \Delta V_{li},$
$4\pi\varepsilon_0 r^2$	$4\pi\varepsilon_0 r^2$	$4\pi\varepsilon_0 r$	
$F = G \frac{M_1 M_2}{2}$	$g = \frac{GM}{r^2}$	$V = \frac{-GM}{GM}$	$W = m\Delta V_g$
$r = 0 - r^2$	$r^2$	r k	

# **Orbiting Bodies**

Centre of mass:  $r_1 = \frac{M_2}{M_1 + M_2} d$ ; Period of Mutual Orbit:  $T = 2\pi \sqrt{\frac{d^3}{G(M_1 + M_2)}}$ 

**Options** A:  $\frac{V_1}{N_1} = \frac{V_2}{N_2}$ ;  $E = -L\frac{\Delta I}{\Delta t}$ ;  $X_L = \omega L$ ;  $X_C = \frac{1}{\omega C}$ ;  $Z = \sqrt{X^2 + R^2}$ ;  $Q = \frac{\omega_0 L}{R}$ B:  $c = \frac{1}{\sqrt{\mu_0 \varepsilon_0}}$ ;  $\Delta t = \frac{\Delta \tau}{\sqrt{1 - \frac{v^2}{c^2}}}$ C:  $\varepsilon = \frac{\Delta I}{I}$ ;  $Y = \frac{\sigma}{\varepsilon}$ ;  $\sigma = \frac{F}{A}$ ;  $U = \frac{1}{2}\sigma\varepsilon V$ D:  $I = I_0 \exp(-\mu x)$ ;  $Z = c\rho$ E:  $\frac{\Delta Q}{\Delta t} = -AK\frac{\Delta \theta}{\Delta x}$ ;  $U = \frac{K}{\Delta x}$   $\frac{Q_2}{Q_1} = \frac{T_2}{T_1}$  Carnot efficiency  $= \frac{(Q_1 - Q_2)}{Q_1}$ 

#### **Mathematical Information**

### **SI multipliers**

Multiple	Prefix	Symbol
$10^{-18}$	atto	а
10-15	femto	f
10 <sup>-12</sup>	pico	р
10 <sup>-9</sup>	nano	n
10 <sup>-6</sup>	micro	μ
10 <sup>-3</sup>	milli	m
10 <sup>-2</sup>	centi	С

Multiple	Prefix	Symbol
10 <sup>3</sup>	kilo	k
106	mega	М
109	giga	G
10 <sup>12</sup>	tera	Т
10 <sup>15</sup>	peta	Р
10 <sup>18</sup>	exa	Е
10 <sup>21</sup>	zetta	Z

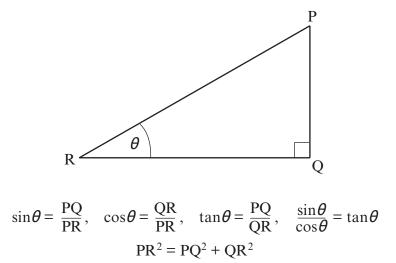
### **Areas and Volumes**

Area of a circle =  $\pi r^2 = \frac{\pi d^2}{4}$ 

Area of a triangle =  $\frac{1}{2}$  base × height

Solid	Surface area	Volume
rectangular block	$2\left(lh+hb+lb\right)$	lbh
cylinder	$2\pi r (r+h)$	$\pi r^2 h$
sphere	$4\pi r^2$	$\frac{4}{3}\pi r^3$

### Trigonometry



### Logarithms (A2 only)

[Unless other wise specified 'log' can be  $\log_e$  (i.e. ln) or  $\log_{10}$ .]

 $\log(ab) = \log a + \log b$  $\log\left(\frac{a}{b}\right) = \log a - \log b$  $\log_{e} e^{kx} = \ln e^{kx} = kx$ 

 $\log_{e} 2 = \ln 2 = 0.693$