4725

4725 Further Pure Mathematics 1

984390625 - 25502500 = 958888125	A1	3	
		3	Obtain correct exact answer
2. $3a+5b=1, a+2b=1$	M1		Obtain a pair of simultaneous
	M1		equations
a = -3, b = 2	A1 A1	4	Attempt to solve
		4	Obtain correct answers.
3. (i) 11 – 29i	B1 B1	2	Correct real and imaginary parts
(ii) 1+41i	B1 B1	2 4	Correct real and imaginary parts
4. Either $p + q = -1, pq = -8$	B1		Both values stated or used
$\frac{p+q}{pq}$	B1		Correct expression seen
	M1		Use their values in their expression
$-\frac{7}{8}$	A1	4	Obtain correct answer
0		4	
Or $\frac{1}{p} + \frac{1}{q} = 8$	B1		Substitute $x = \frac{1}{u}$ and use new
			quadratic
p + q = 1	B1		Correct value stated
7	M1		Use their values in given expression
$-\frac{7}{8}$	A1		Obtain correct answer
Or $\frac{-1\pm\sqrt{33}}{2}$	M1		Find roots of given quadratic
2			equation
	A1		Correct values seen
$-\frac{7}{8}$	M1		Use their values in given expression
5. (i) $u^3 = \{(-)(5u+7)\}^2$	A1 M1		Obtain correct answer Use given substitution and rearrange
$\int (1) u = \{(-)(3u + 7)\}$	A1		Obtain correct expression, or
			equivalent
$u^3 - 25u^2 - 70u - 49 = 0$	A1	3	Obtain correct final answer
	N 4 1		
(ii)	M1		Use coefficient of <i>u</i> of their cubic or identity connecting the symmetric
			identity connecting the symmetric functions and substitute values from
			given equation
-70	A1 ft	2	Obtain correct answer
		5	

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6.	(i) $3\sqrt{2}, -\frac{\pi}{4}$ or -45° AEF	B1 B1	2	State correct answers
	(ii)(a)	B1B1	3	Circle, centre (3, -3),
		B1 ft		through <i>O</i> ft for $(\pm 3, \pm 3)$ only
	(ii)(b)	B1 B1	3	Straight line with +ve slope, through (3, -3) or their centre
		B1	5	Half line only starting at centre
	(iii)	DIG		
	(III)	B1ft B1ft		Area above horizontal through <i>a</i> , below (ii) (b)
		B1ft	3	Outside circle
-		241	11	
7.	(i)	M1 A1	2	Show that terms cancel in pairs Obtain given answer correctly
			-	
	(ii)	M1	2	Attempt to expand and simplify
		A1	2	Obtain given answer correctly
	(iii)	B1 B1		Correct $\sum r$ stated $\sum 1 = n$
		M1*		Consider sum of 4 separate terms on
		*DM1		RHS Required sum is LHS – 3 terms
	$(n+1)^4 - 1 - n(n+1)(2n+1) - 2n(n+1) - n$	A1		Correct unsimplified expression
	(n+1) 1 $n(n+1)(2n+1)$ $2n(n+1)$ n			Contest anomy more expression
	$4\sum_{n=1}^{n} 3 \frac{2}{(n+1)^2}$			
	$4\sum_{r=1}^{n} r^{3} = n^{2} (n+1)^{2}$	A1	6	Obtain given answer correctly
0		DI	10	
8.	(i)	B1 B1		Find coordinates (0, 0) (3, 1) (2, 1) (5, 2) found
		B1	3	Accurate diagram sketched
	$\begin{pmatrix} 1 & 0 \\ (ii) & 1 \end{pmatrix}$	D1 D1	2	Fach achieve compat
	$\begin{pmatrix} n \end{pmatrix} \begin{pmatrix} 1 & 1 \end{pmatrix}$	B1 B1	2	Each column correct
	(iii) Either	B1		Correct inverse for their (ii) stated
	$\begin{pmatrix} 1 & 2 \end{pmatrix}$	M1		Post multiply C by inverse of (ii)
	$\begin{pmatrix} 0 & 1 \end{pmatrix}$	A1ft		Correct answer found
	Or	M1		Set up 4 equations for elements from
				correct matrix multiplication
		A2ft		All elements correct, -1 each error
		B1		Shear,
		B1	-	x axis invariant or parallel to x-axis
		B1	6 11	eg image of (1, 1) is (3, 1) SR allow s.f. 2 or shearing angle of
				correct angle to appropriate axis

9.	(i) $\begin{vmatrix} a & 1 \\ 1 & 2 \end{vmatrix} - \begin{vmatrix} 1 & 1 \\ 1 & 2 \end{vmatrix} + \begin{vmatrix} 1 & a \\ 1 & 1 \end{vmatrix}$	M1 A1		Correct expansion process shown Obtain correct unsimplified
	$2a^2 - 2a$	A1	3	expression
				Obtain correct answer
	(ii)	M1		
	a = 0 or 1	A1ft		Equate their det to 0
		Alft	3	Obtain correct answers, ft solving a quadratic
	(iii) (a)	B1 B1		Equations consistent, but non unique
				solutions
	(b)	B1		Correct equations seen &
		B1	4	inconsistent, no solutions
10	· \	141	10	
10.	i) 7 10	M1		Attempt to find next 2 terms
	$u_2 = 7 \ u_3 = 19$	A1	3	Obtain correct answers
		A1	3	Show given result correctly
	(ii)	M1		Expression involving a power of 3
	$u_n = 2(3^{n-1}) + 1$	A1	2	Obtain correct answer
	(iii)	B1ft		Verify result true when $n = 1$ or $n = 2$
		M1		Expression for u_{n+1} using recurrence
	$u_{n+1} = 3(2(3^{n-1})+1) - 2$			relation
		A1		Correct unsimplified answer
	$u_{n+1} = 2(3^n) + 1$	A1		Correct answer in correct form
		B1	_	Statement of induction conclusion
			5	
			10	