GCE Physics - PH1

Question				Marking details	Marks Available
1.	(a)	(i) (ii)		[A quantity with] magnitude / size <u>and</u> direction. Any suitable quantity (e.g force) other than velocity or acceleration.	[1] [1]
	(b)	(i)		<i>ut</i> shown to have units: $m s^{-1} x s \rightarrow [m]$ (1) $\binom{1}{2}at^2$ shown to have units: $m s^{-2} x s^2 \rightarrow [m]$ (1) Comment: all terms have same units or equivalent e.g. LHS=RHS (1)	[3]
		(ii)	(I)	$u = 8 \mathrm{m s^{-1}}$ UNIT MARK	[1]
			(11)	$\frac{1}{2}a = 3$ $a = 6 [m s^{-2}]$	[1]
			(III)	Substitution and answer $x = 115$ [m]	[1]
			(1V)	Equation (1) Substitution (1) ecf for u , a and x $v = 38 [m s^{-1}]$ (1)	[3]
				Question 1 total	[11]
2.	(a)	(i) (ii)		[electric] current I = 6[A]	[1] [1]
	(b)	(i)		Parallel combinations calculated: 4Ω (1); 2Ω (1) Series addition: $6[\Omega]$ (1) [ecf]	[3]
		(ii)		$\begin{array}{ll} XY \rightarrow \frac{2}{3} \text{ x } 12 = 8 \begin{bmatrix} V \end{bmatrix} & (1) & \text{or} & I = 12/6 = \begin{bmatrix} 2 \text{ A} \end{bmatrix} & (1) \\ YZ \rightarrow \frac{1}{3} \text{ x } 12 = 4 \begin{bmatrix} V \end{bmatrix} & (1) & V_{xy} = 8 \begin{bmatrix} V \end{bmatrix} \text{ and } V_{yz} = 4 \begin{bmatrix} V \end{bmatrix} & (1) \\ ecf & V_{xy} = 8 \begin{bmatrix} V \end{bmatrix} \text{ and } V_{yz} = 4 \begin{bmatrix} V \end{bmatrix} & (1) \\ ecf & V_{xy} = 8 \begin{bmatrix} V \end{bmatrix} \text{ and } V_{yz} = 4 \begin{bmatrix} V \end{bmatrix} & (1) \\ ecf & V_{xy} = 8 \begin{bmatrix} V \end{bmatrix} \text{ and } V_{yz} = 4 \begin{bmatrix} V \end{bmatrix} & (1) \\ ecf & V_{xy} = 8 \begin{bmatrix} V \end{bmatrix} \text{ and } V_{yz} = 4 \begin{bmatrix} V \end{bmatrix} & (1) \\ ecf & V_{xy} = 8 \begin{bmatrix} V \end{bmatrix} \text{ and } V_{yz} = 4 \begin{bmatrix} V \end{bmatrix} & (1) \\ ecf & V_{xy} = 8 \begin{bmatrix} V \end{bmatrix} \text{ and } V_{yz} = 4 \begin{bmatrix} V \end{bmatrix} & (1) \\ ecf & V_{xy} = 8 \begin{bmatrix} V \end{bmatrix} \text{ and } V_{yz} = 4 \begin{bmatrix} V \end{bmatrix} & (1) \\ ecf & V_{xy} = 8 \begin{bmatrix} V \end{bmatrix} \text{ and } V_{yz} = 4 \begin{bmatrix} V \end{bmatrix} & (1) \\ ecf & V_{xy} = 8 \begin{bmatrix} V \end{bmatrix} \text{ and } V_{yz} = 4 \begin{bmatrix} V \end{bmatrix} & (1) \\ ecf & V_{xy} = 8 \begin{bmatrix} V \end{bmatrix} \text{ and } V_{yz} = 4 \begin{bmatrix} V \end{bmatrix} & (1) \\ ecf & V_{xy} = 8 \begin{bmatrix} V \end{bmatrix} \text{ and } V_{yz} = 4 \begin{bmatrix} V \end{bmatrix} & (1) \\ ecf & V_{xy} = 8 \begin{bmatrix} V \end{bmatrix} \text{ and } V_{yz} = 4 \begin{bmatrix} V \end{bmatrix} & (1) \\ ecf & V_{xy} = 8 \begin{bmatrix} V \end{bmatrix} \text{ and } V_{yz} = 4 \begin{bmatrix} V \end{bmatrix} & (1) \\ ecf & V_{xy} = 8 \begin{bmatrix} V \end{bmatrix} \text{ and } V_{yz} = 4 \begin{bmatrix} V \end{bmatrix} & (1) \\ ecf & V_{xy} = 8 \begin{bmatrix} V \end{bmatrix} \text{ and } V_{yz} = 4 \begin{bmatrix} V \end{bmatrix} & (1) \\ ecf & V_{xy} = 8 \begin{bmatrix} V \end{bmatrix} \text{ and } V_{yz} = 4 \begin{bmatrix} V \end{bmatrix} & (1) \\ ecf & V_{xy} = 8 \begin{bmatrix} V \end{bmatrix} & V_{yz} = 8 \begin{bmatrix} V \end{bmatrix} \text{ and } V_{yz} = 4 \begin{bmatrix} V \end{bmatrix} & (1) \\ ecf & V_{xy} = 8 \begin{bmatrix} V \end{bmatrix} & V_{yz} = 8 \begin{bmatrix} V \end{bmatrix} $	[2]
		(iii)		No Change (1) Correct explanation in terms of: Either: Ratio of <u>resistances</u> stays the same (1) ecf Or: New current calculated $(1\frac{1}{3} A)$ and used	[2]
		(iv)		$R = \frac{12}{1.5} = 8 [\Omega] (1)$	[2]
		(v)		$P = (12)^{2/9} \text{or} P = 1\frac{1}{3} \ge 10 \text{ cm} P = (1\frac{1}{3})^{2} \ge 9 (1)$ $P = 16 \text{ [W] (1)}$	[2]
		(vi)		Strategy - various switch settings and corresponding powers calculated e.g Close S ₁ : $R = 7 \Omega$ or Close S ₂ : $R = 8 \Omega$ (1) P = 20.6 W $P = 18 W$	[3]
				Close both: $R = 6[\Omega](1)$ and $P = 24[W](1)$	
				e.g. $P = V^2/R$ (1) largest P when R smallest or smallest R identified as 6 [Ω] [must be linked to $P = V^2/R$] (1) S ₁ and S ₂ closed (1)	
				e.g. $P = I^2 R$ (1) largest P when I greatest when R smallest [must be linked to $P = I^2 R$] (1) S ₁ and S ₂ closed (1) (N.B. $P=IV$ could be used here) In both of the above the 3 rd mark can be awarded as a standalone mark provided some sensible reasoning is given.	
				Question 2 total	[16]

Question			Marking details	Marks Available
3.	(a)		[Electrical] energy [or work done] transferred to whole of circuit [or through cell] (1) per coulomb [or unit charge] (1)	[2]
	(b)		Sensible scale and axes labelled with units (1) All points correct $\pm \frac{1}{2}$ small square division (1) Line of best fit (1) (no requirement $\rightarrow y$ axis)	[3]
	(c)	(i)	$E = 1.48 [V] (\pm 0.01 V)$ ecf from graph	[1]
		(ii)	Gradient attempted or $r = \frac{E - V}{I}$ (by implication) (1) $r = 0.83 [\Omega]$ (1) ecf from graph	[2]
	(<i>d</i>)		$I = \frac{E}{R+r} \left\{ \frac{1.48}{6+0.83} \right\} (1) (\text{ecf on } E \text{ and } r) I = 0.22 \text{ A} (1)$ $t = 20 \text{ x } 60 [1\ 200\ \text{s}] (1)$ $Q = 0.22 (\text{ecf}) \text{ x } 1\ 200 (\text{ecf}) = 264 \text{ [C]} (1)$	[4]
			Question 3 Total	[12]
4.	(a)	(i)	Ruler and wire (1) Moving pointer (or crocodile clip shown) (1) Ohmmeter connected correctly with no power supply or voltmeter and ammeter positioned correctly with power supply (1)	[3]
		(ii) (iii)	Straight line through origin Gradient = R/l or pair of R and l values from graph (1)	[1]
		(111)	Measure diameter to calculate area (1) $\rho = \text{grad x area or substitution into } \rho = RA/l$ (1)	[3]
	(b)		Vol = $Al = \frac{1}{3}A \ge 3l$ (CSA reduced to $\frac{1}{3}$ original) (1) $R = \frac{\rho 3l}{A/3}$ (1) ρ = constant stated (or implied) (1) OR : $A = \operatorname{vol}/l \operatorname{so} R = \rho l^2/\operatorname{vol}(1)$ $R \propto l^2$ (1) New $R \propto (3l)^2$ so new $R = 9R$ (1)	[3]
			Question 4 Total	[10]

Question			Marking details	Marks Available
5.	(a) (b)	(i)	Energy cannot be created or destroyed, only converted to other forms. $\frac{1}{2}mv^2 = mgh$ shown or use of $v^2 = u^2 + 2ax(1)$	[1]
			(no mark for $E_k = E_p$ only) Clear manipulation (1)	[2]
		(ii)	$v = 48.5 [{\rm ms^{-1}}]$	[1]
	(c)	(i)	Air resistance /drag (1) Friction between bobsleigh and ice or surface or track or on surface /ice/snow (1)	[2]
		(ii)	Actual $v = [48.5 - 20\% \text{ x } 48.5] = 38.8 \text{ m s}^{-1}$ (1) (ecf) Actual $E_v = 210.762 \text{ [I]}$ (1)	[2]
		(iii)	Either $[\frac{1}{2} \ge 210 \ 762[5]^{-1}(1)$ Either $[\frac{1}{2} \ge 280 \ge (48.5)^2 - 210 \ 762]$ or $[280 \ge 9.8 \ge 120 - 210 \ 762]$ (ecf on 48.5 or 210 \ 762) (1) Work done against resistive forces = 118 \ 500 J (1) =F \times 1 \ 400 (1) ecf F = 85 [N] (1) ecf for use of 1.4 km	[4]
			$\mathbf{O}_{\text{usc}} = \mathbf{O}_{\text{usc}} \left[\mathbf{V}_{\text{usc}} \right] $	[17]
			Question 5 Total	[12]
6.	(a)	(i) (ii)	$\cos 40^{\circ}$ (1); 600 $\cos 40^{\circ} = 460$ [N] (1) 386 [N] no ecf if sin or cos mixed up	[2] [1]
	(b)		$(90 \times 9.8) - 386$ (1) (ecf) N.B. if 10 used -1 mark) = 496[N] (1)	[2]
	(c)		0.8 x 496 = 397 N (1) ecf $\Sigma F_{\text{horizontal}} = (460 - 397) = 63 \text{ N}$ (1) (ecf) $a = 0.7 \text{ m s}^{-2}$ (1) UNIT MARK	[3]
	(<i>d</i>)		gravitational pull of tree trunk on earth	[1]
			Question 6 Total	[9]

Question			Marking details	Marks Available
7.	(a)		No net force / all forces acting on the body are balanced / $\sum F=0$	[1]
	(b)		$wx + F_2 x_2$	[1]
	(<i>c</i>)	(i) (ii)	1.2 [m] and 2.8 [m] – correctly labelled $w \ge 0.8 = 90 \ge 1.2 + 100 \ge 2.8$ (1) (ecf on 1.2 and 2.8) w = 485 [N] (1)	[1] [2]
		(iii)	R = 675 [N] (ecf on <i>w</i>)	[1]
		(iv)	Anticlockwise and clockwise moments calculated correctly (even as ecf) (1) Both = 2 160 [N m] or \sum moments about Q shown=0 (1)	[2]
		(v)	To the left (or towards P) (1) Increased clockwise moment needed to counteract increased anti- clockwise moment or sensible statement related to weight and distance (1)	[2]
			Question 7 Total	[10]